



# An Energy Partitioning Perspective on Lake Evaporation Variations to Climate Change

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# Outline



- Motivation
- Scientific questions and hypothesis
- Model and data
- Preliminary results
  - Validation of evaporation simulation
  - Interannual variations
  - Energy partitioning vs. air temperature
  - Freshwater flux
  - Evaporation comparison between lake and surrounding land
- Next steps

# Motivation

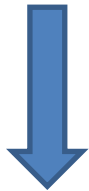
- **Hypothesis I** – the lake evaporation rate will increase as air temperature rises, at a rate of  $7\% \text{ K}^{-1}$  predicted by the Clausius-Clapeyron equation (*Held and Soden, 2006; Huntington, 2006; Wentz et al., 2007; Alessandri et al., 2012, Roderick et al., 2014*). **Hypothesis II** – lake evaporation variabilities are controlled by the variabilities in the surface solar radiation (*Ohmura and Wild, 2002; Liu and Zeng, 2004; Fu et al., 2009*).
- Changes in global water evaporation can be decomposed into two parts: one associated with the the **net change in radiative flux** and the other due to **the variability of energy partitioning** (*Held and Soden, 2006*).

# Surface energy balance and the Priestley-Taylor (PT) model

$$\beta = \frac{H}{\lambda E} \quad EF = \frac{\lambda E}{R_n - G}$$

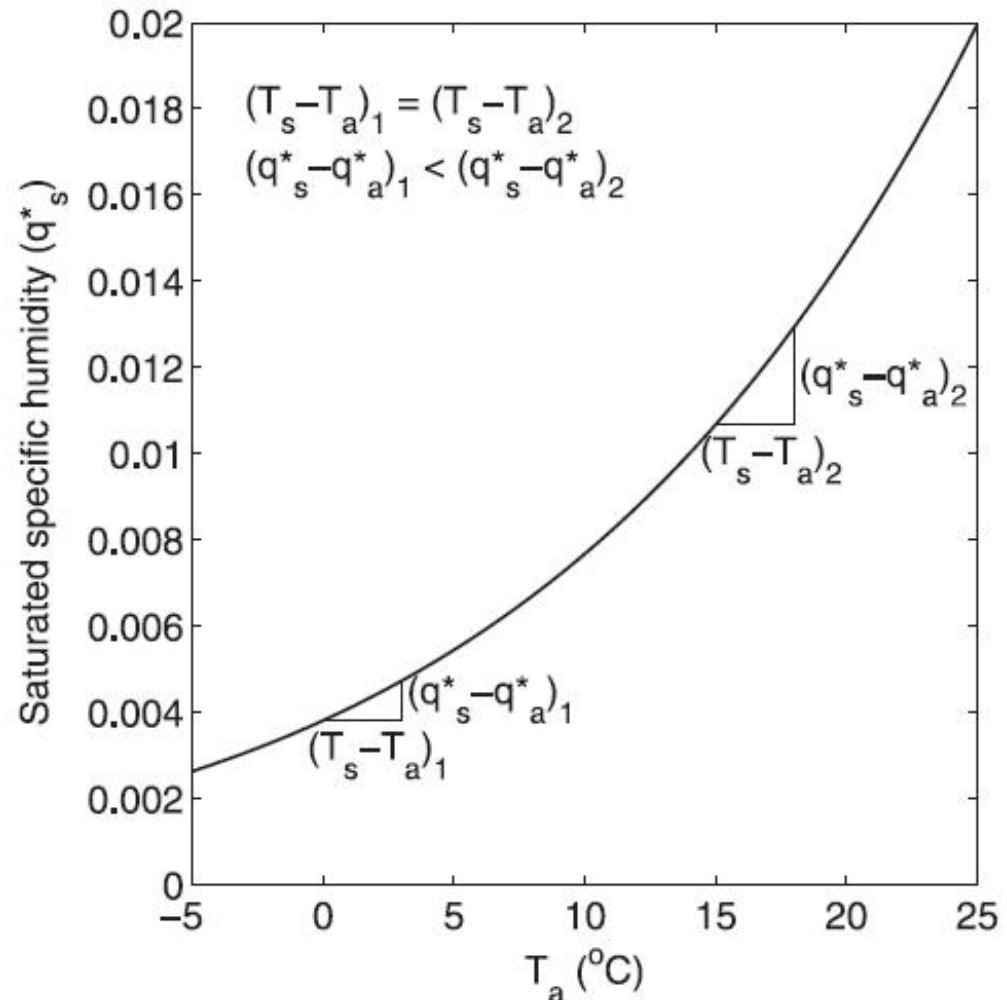
$$R_n - G = H + \lambda E$$

$$\lambda E = \alpha \frac{\Delta}{\Delta + \gamma} (R_n - G)$$



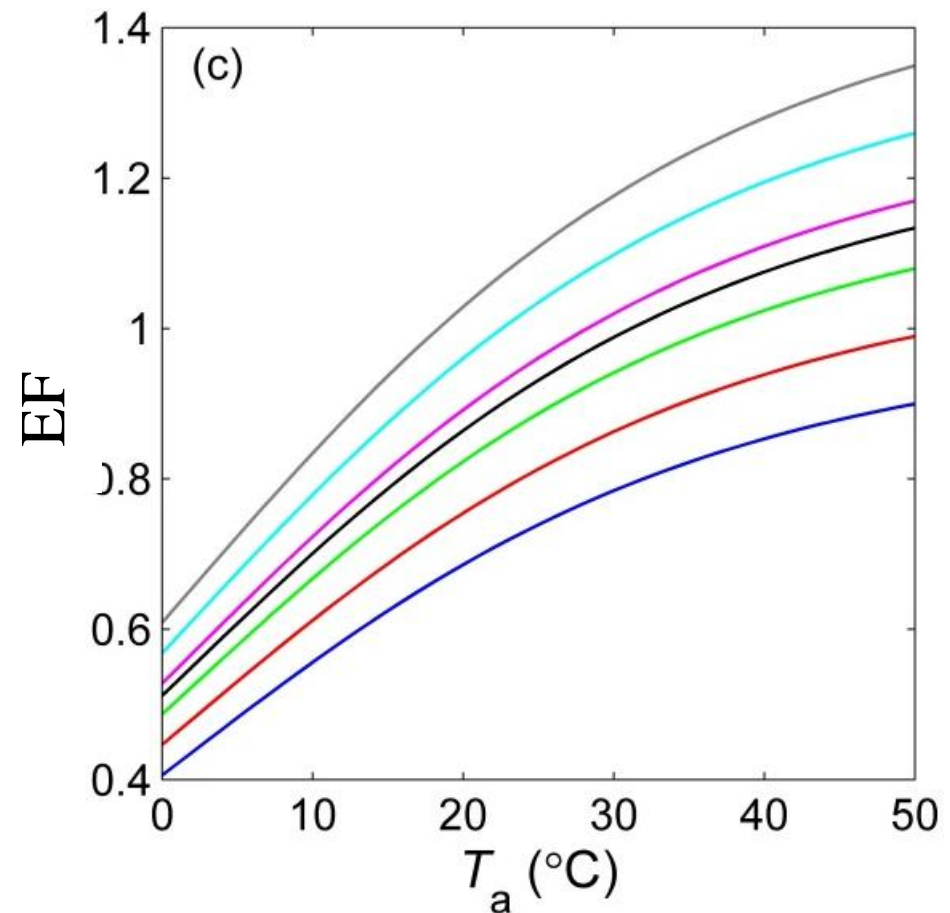
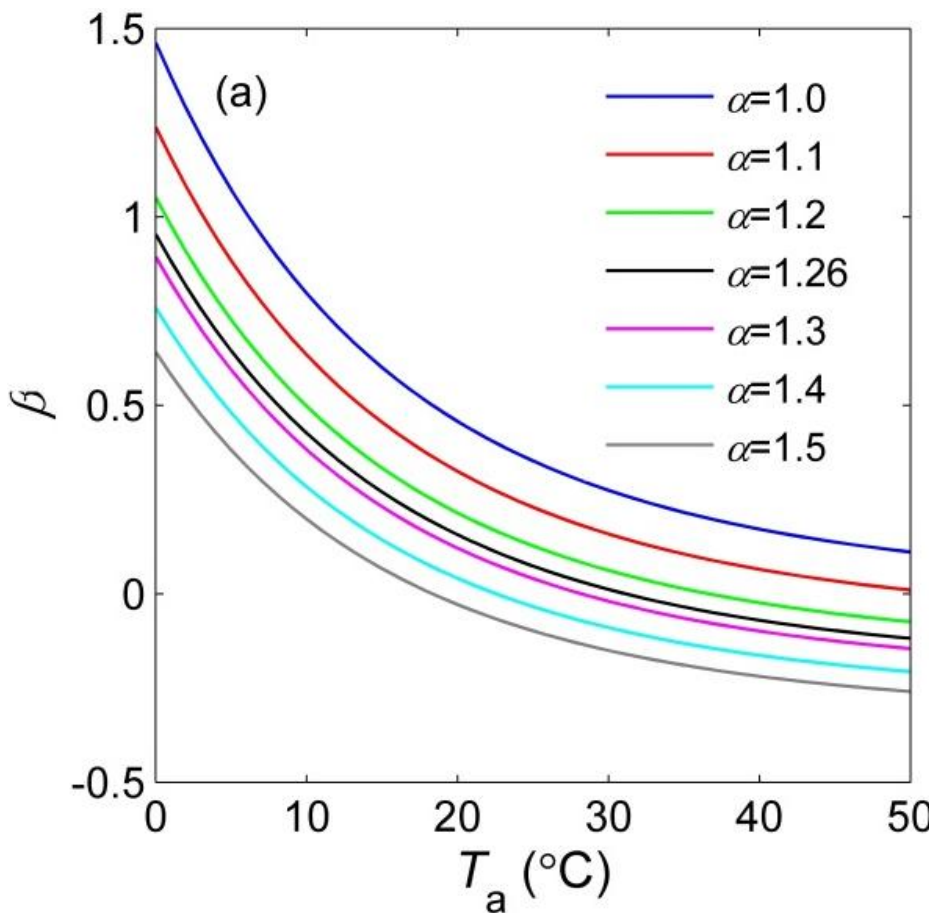
$$\beta = \frac{1}{\alpha} \frac{\gamma}{\Delta} + \frac{1}{\alpha} - 1$$

$$EF = \frac{1}{1 + \beta}$$



(Priestley and Taylor, 1972; Monteith, 1981;  
Brutsaert, 1982; Garratt, 1992)

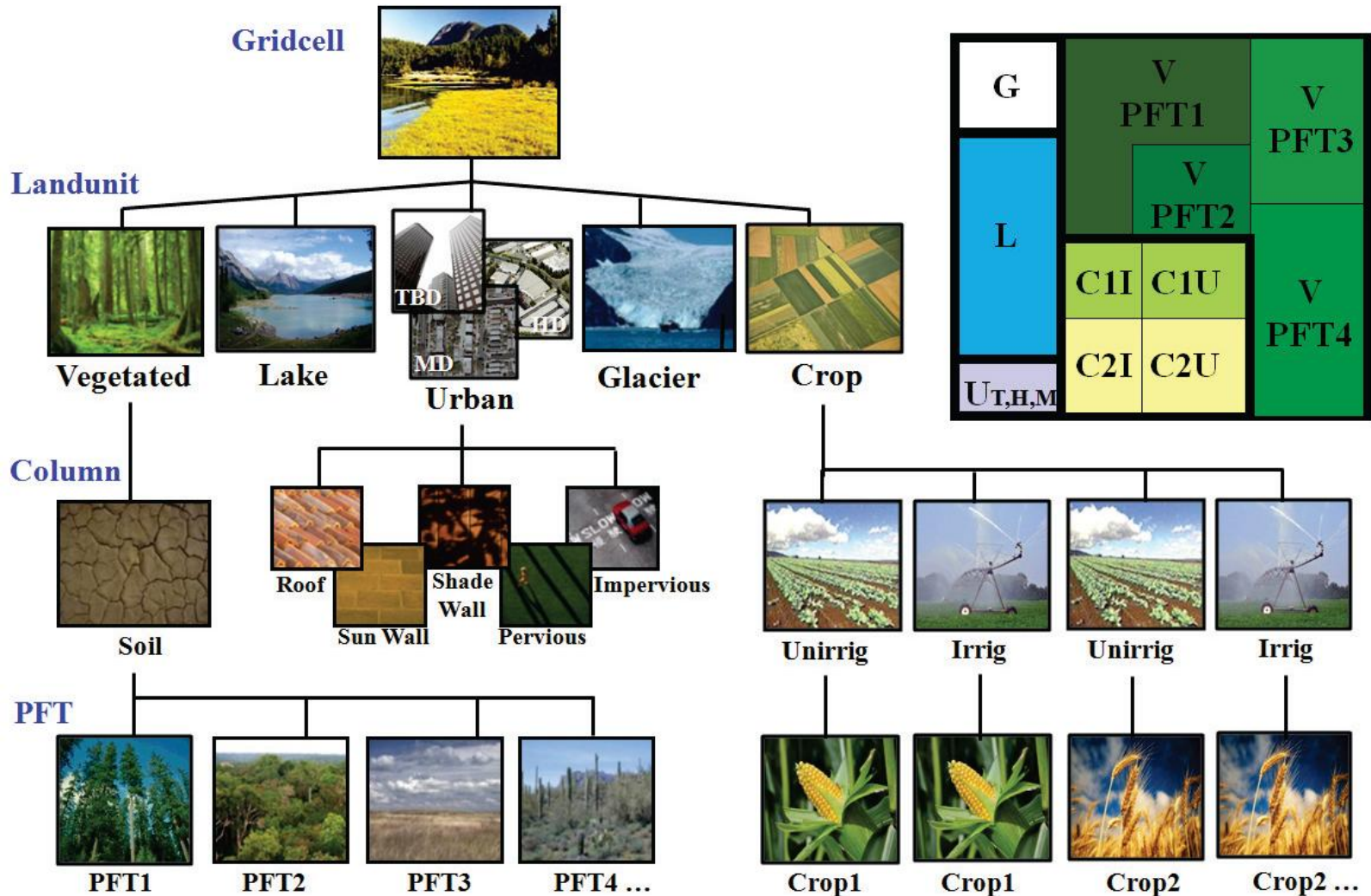
# Relationship between $\beta$ (EF) and $T_a$ by PT model



# Scientific questions and Hypothesis

- What is the **main driver** of the interannual variations in lake evaporation? Air temperature or solar radiation?
- How are about **the mechanisms** underlying lake evaporation variability caused by energy partitioning?
- The lake evaporation interannual variability are primarily explained by air temperature through its effect on energy partitioning (Bowen ratio or evaporative fraction), not by surface solar radiation.

# Configuration of the CLM subgrid hierarchy



(Oleson et al., 2013)

# Surface flux solution in CLM4.5-LISSS (Lake, Ice, Snow, and Sediment Simulator)

$$\beta \vec{S}_g - \vec{L}_g - H_g - \lambda E_g - G = 0$$

$$H_g = -\rho_{atm} C_p \frac{(\theta_{atm} - T_g)}{r_{ah}}$$

$$E_g = -\frac{\rho_{atm} (q_{atm} - q_{sat}^{T_g})}{r_{aw}}$$



# Global Lake Database version 2 used in CLM4.5-LISSS

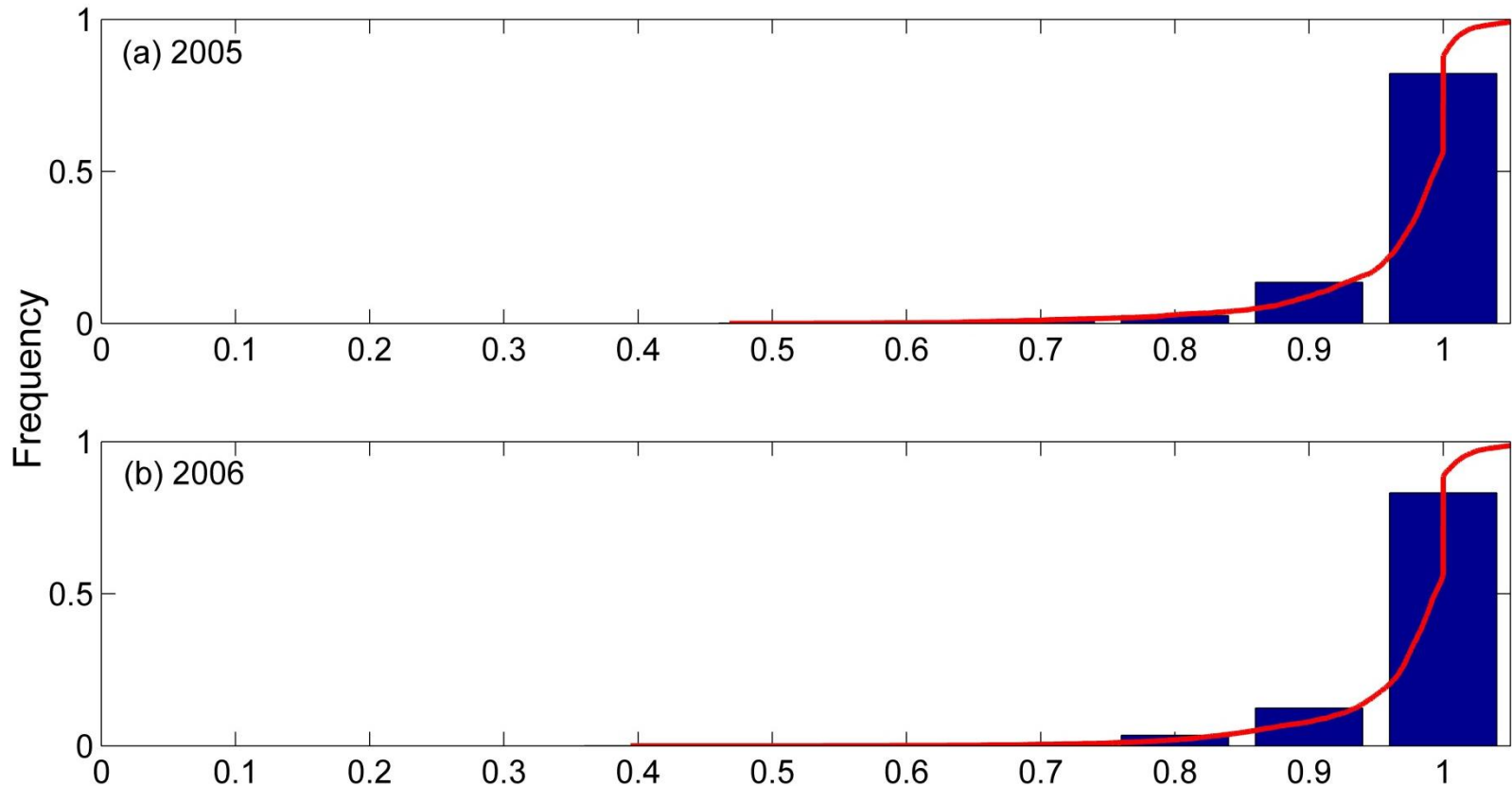
Lake type	Number	With depth	Fraction %	<5 m	<5 m fraction %	<10 m	<10 m fraction %
Freshwater	13155	8378	63.69	2247	26.82	6180	<b>73.76</b>
Saline	221	144	65.16	100	69.44	118	<b>81.94</b>
All	13376	8522	63.71	2347	27.54	6298	<b>73.90</b>

Global lake coverage: 2.3 million km<sup>2</sup>.

# CLM4.5-LISSS simulations

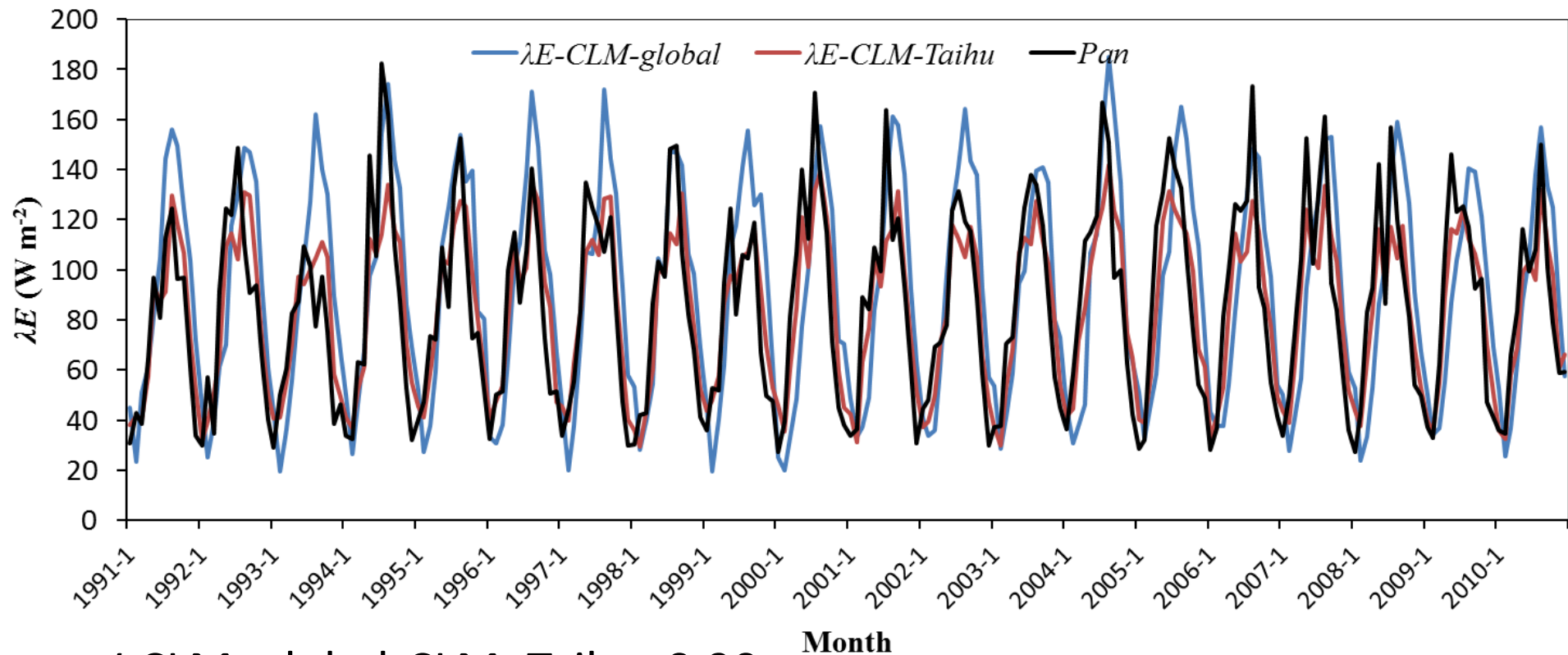
- Historical simulation: 1991-2010, monthly, 10-yr spin-up,  $0.9^{\circ}$  (latitude) x  $1.25^{\circ}$  (longitude), by Zack Subin, be validated;
- Future simulation: 2005-2100, monthly (primary files), daily (secondary files), 100-yr spin-up, RCP8.5,  $0.9^{\circ}$  (latitude) x  $1.25^{\circ}$  (longitude), by Lei Zhao, research;
- Latent heat: ground + canopy + transpiration  
Sensible heat: ground + canopy

# Why open water evaporation?



Global open lake evaporation:  $2.16 \times 10^{15} \text{ kg yr}^{-1}$   
Year round lake evaporation:  $2.18 \times 10^{15} \text{ kg yr}^{-1}$

# Validation of monthly evaporation simulations at Lake Taihu



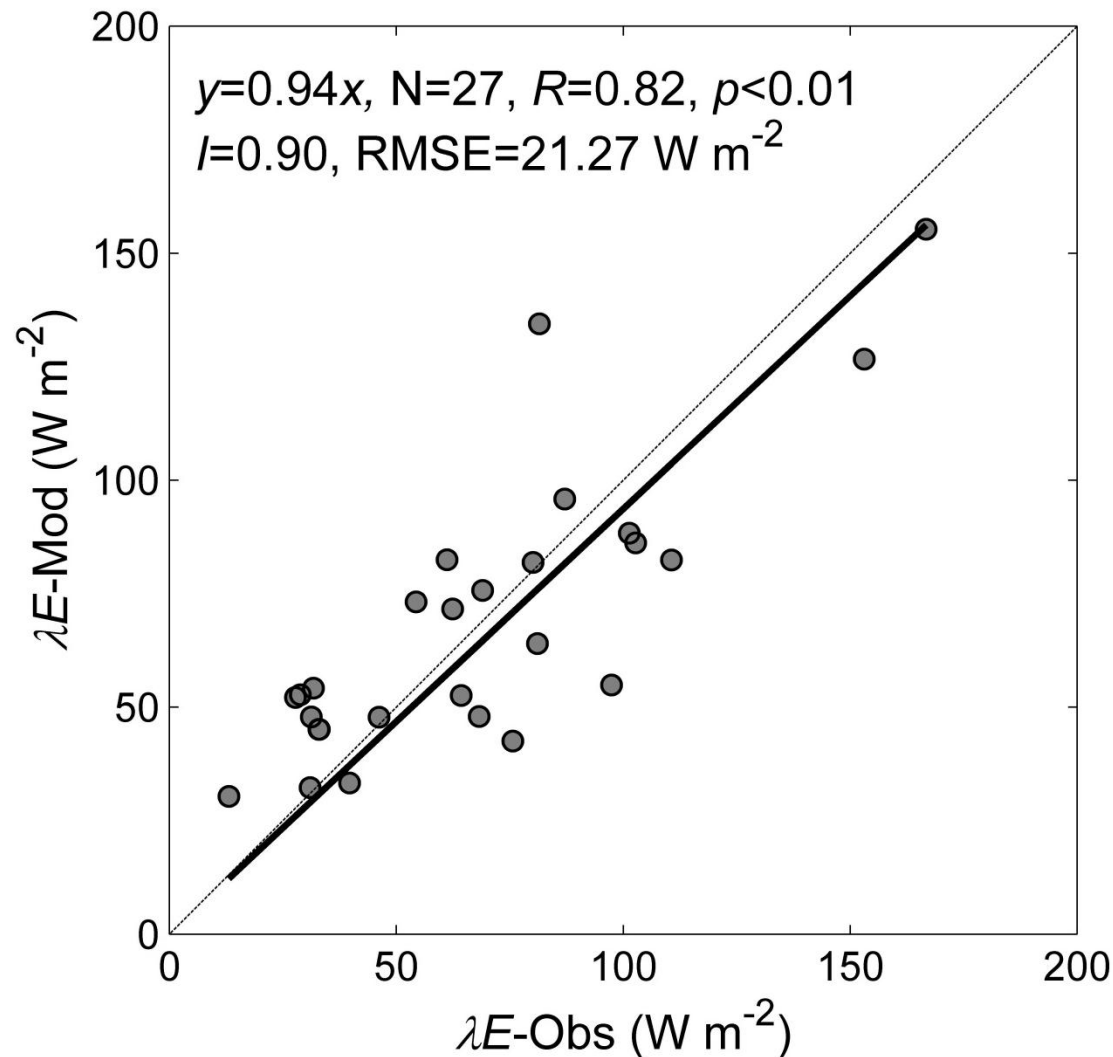
/-CLM\_global-CLM\_Taihu: 0.90

/-CLM\_global-Pan: 0.83

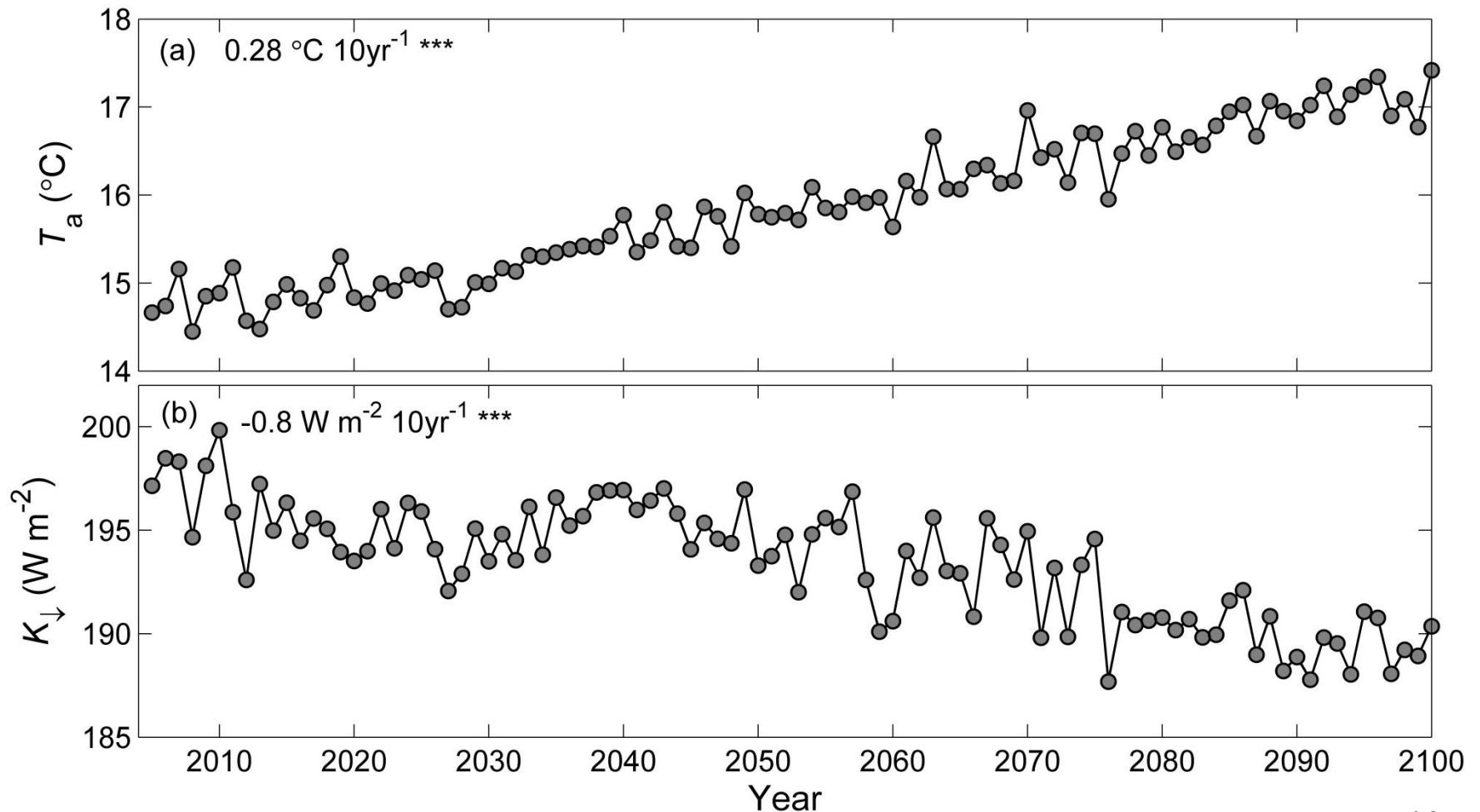
RMSE-CLM\_global-CLM\_Taihu: 23.10  $\text{mm.month}^{-1}$

RMSE-CLM\_global-Pan: 31.93  $\text{mm month}^{-1}$

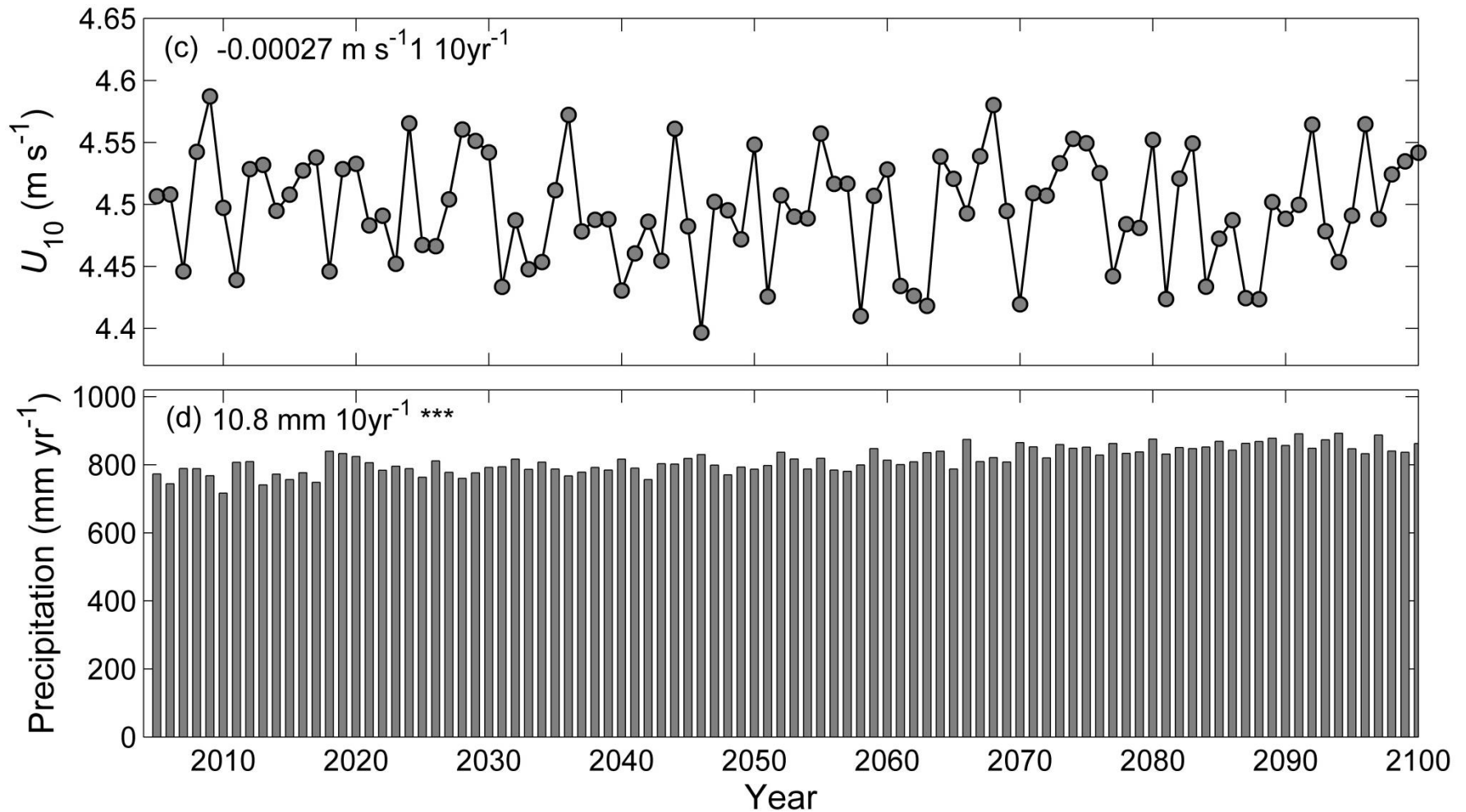
# Validation of annual evaporation simulations at 27 lakes



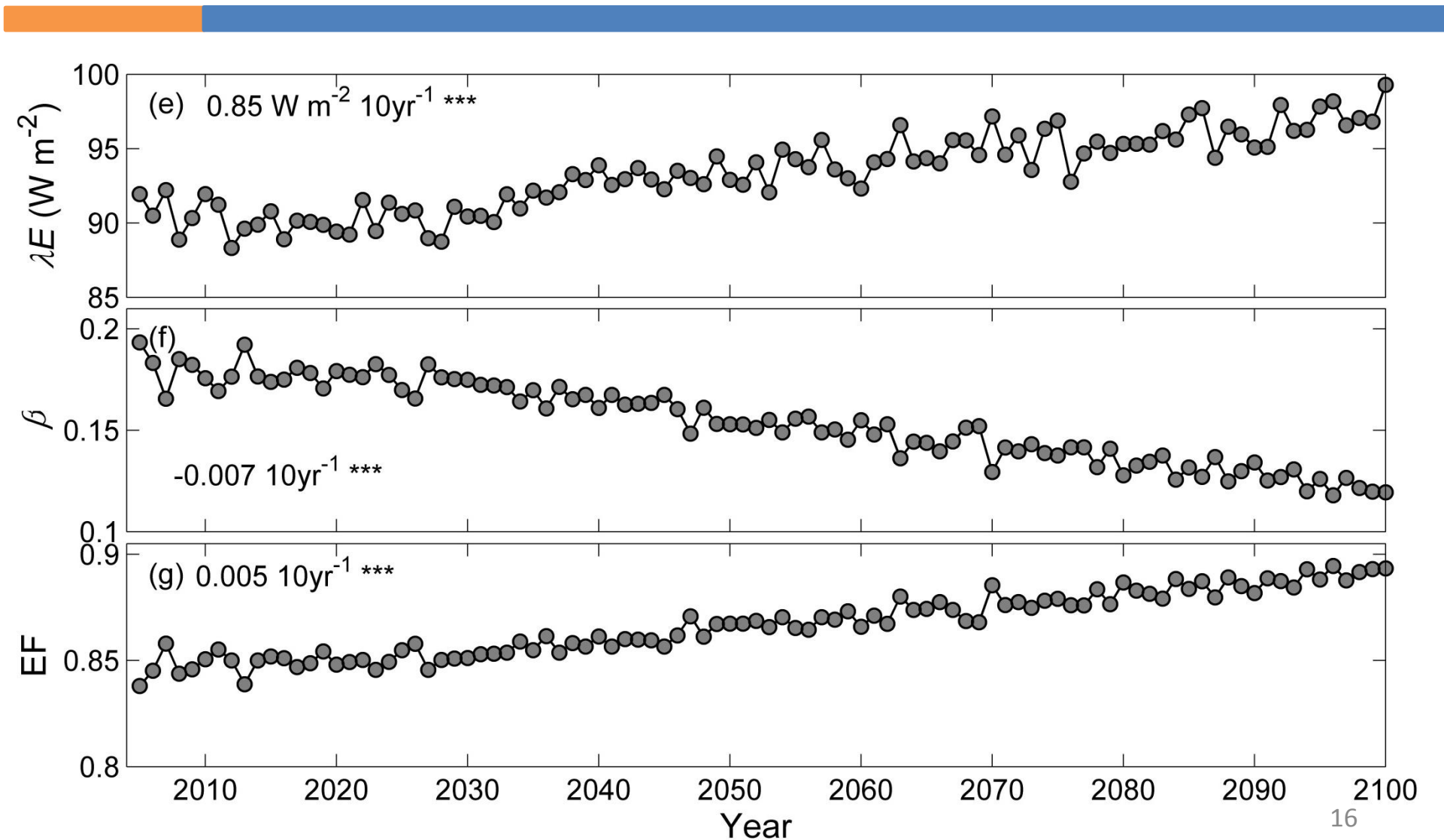
# Interannual variations in global lake mean air temperature and solar radiation



# Interannual variations in global lake mean wind speed and precipitation

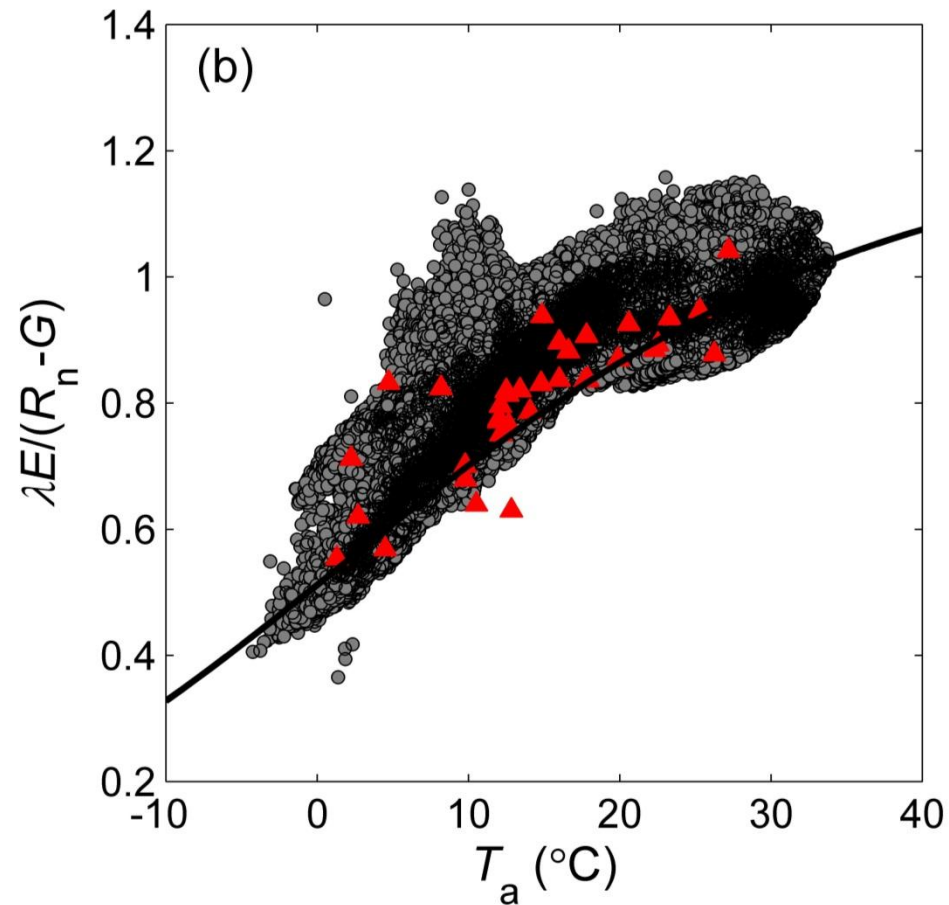
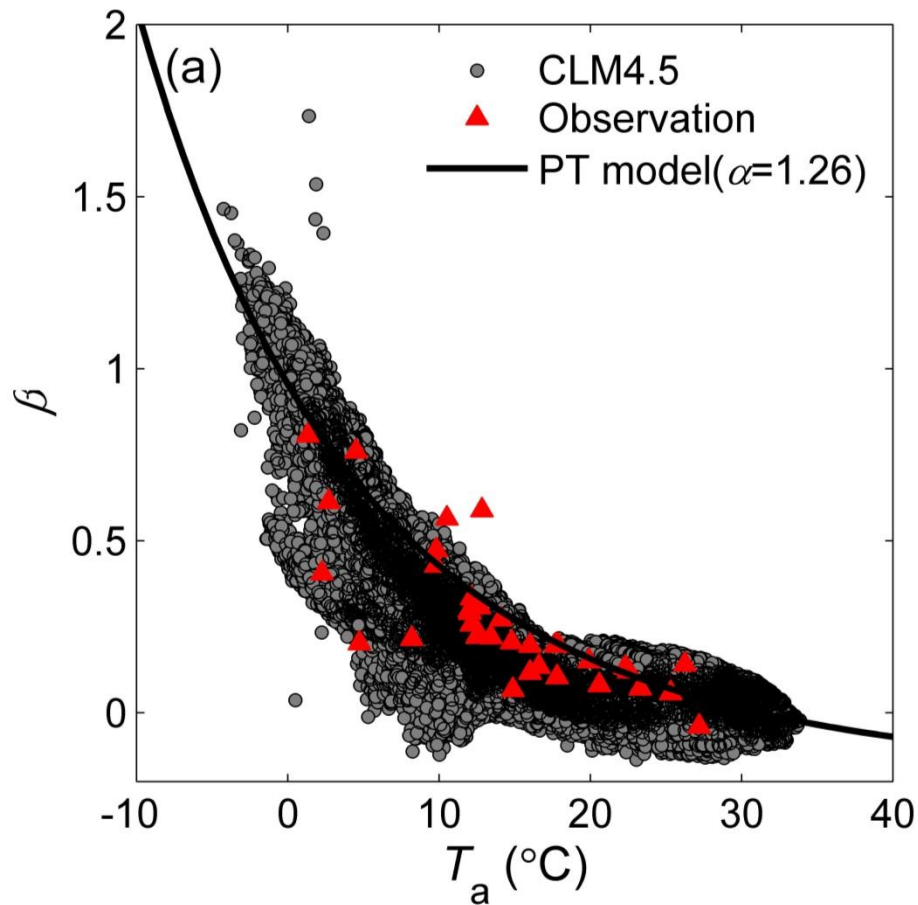


# Interannual variations in global lake mean latent heat, $\beta$ and EF

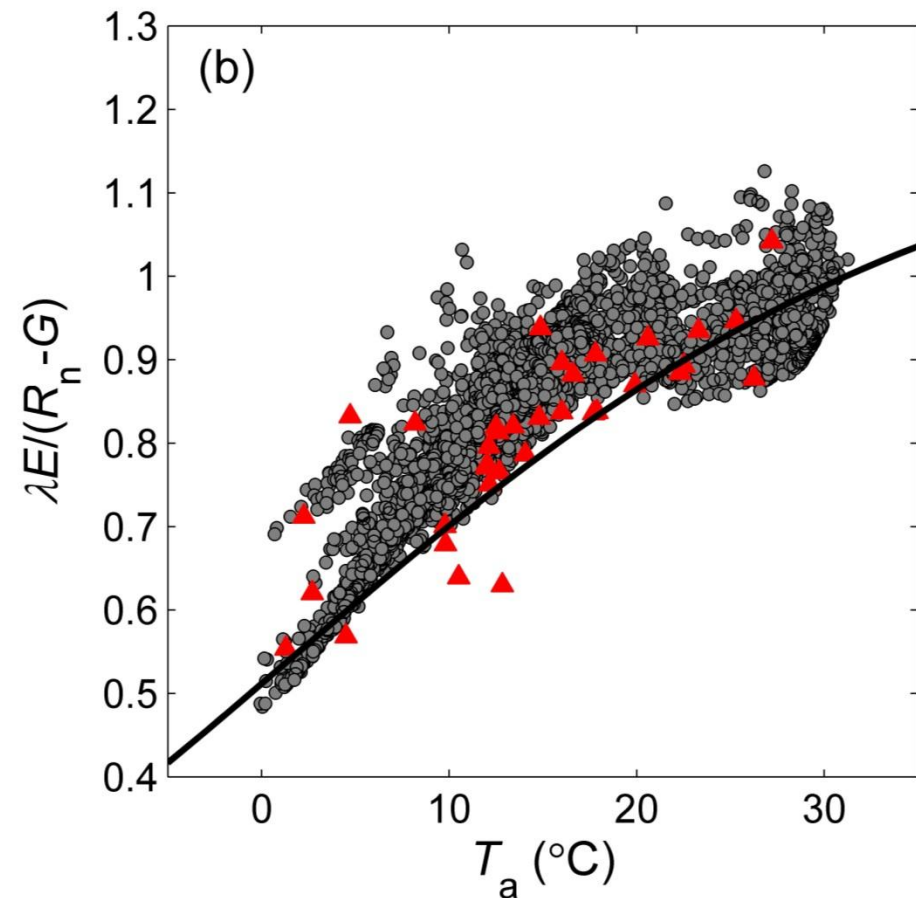
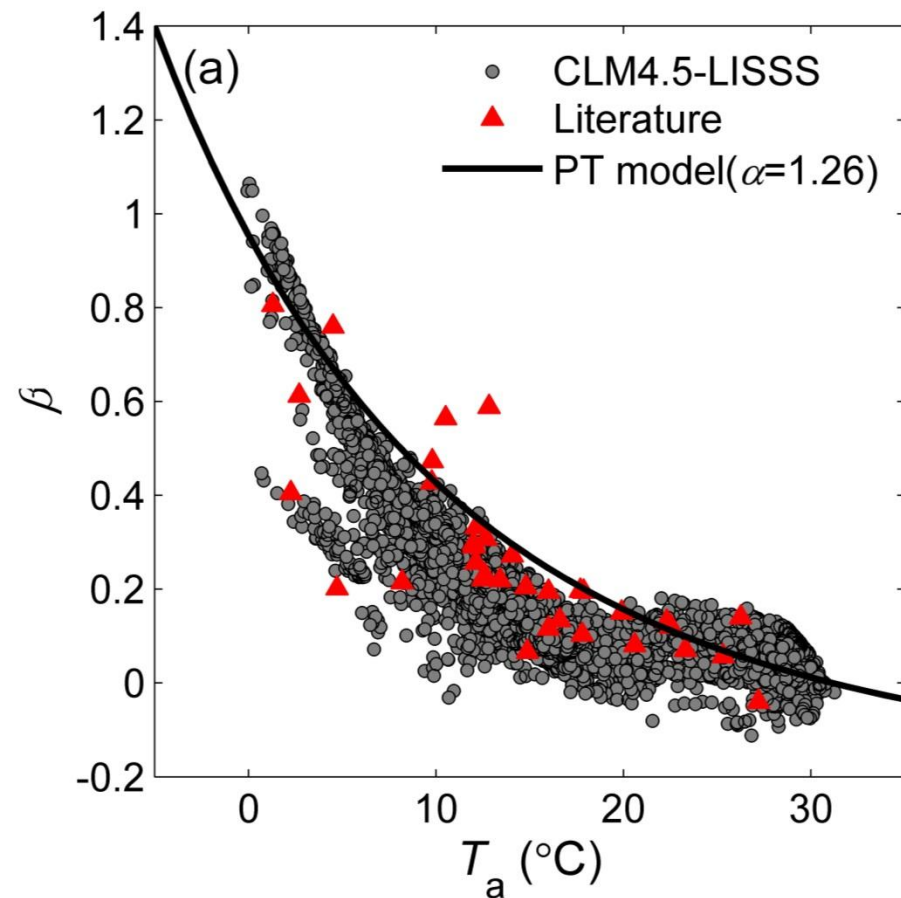




# $\beta$ (EF) varying with air temperature every lake-year

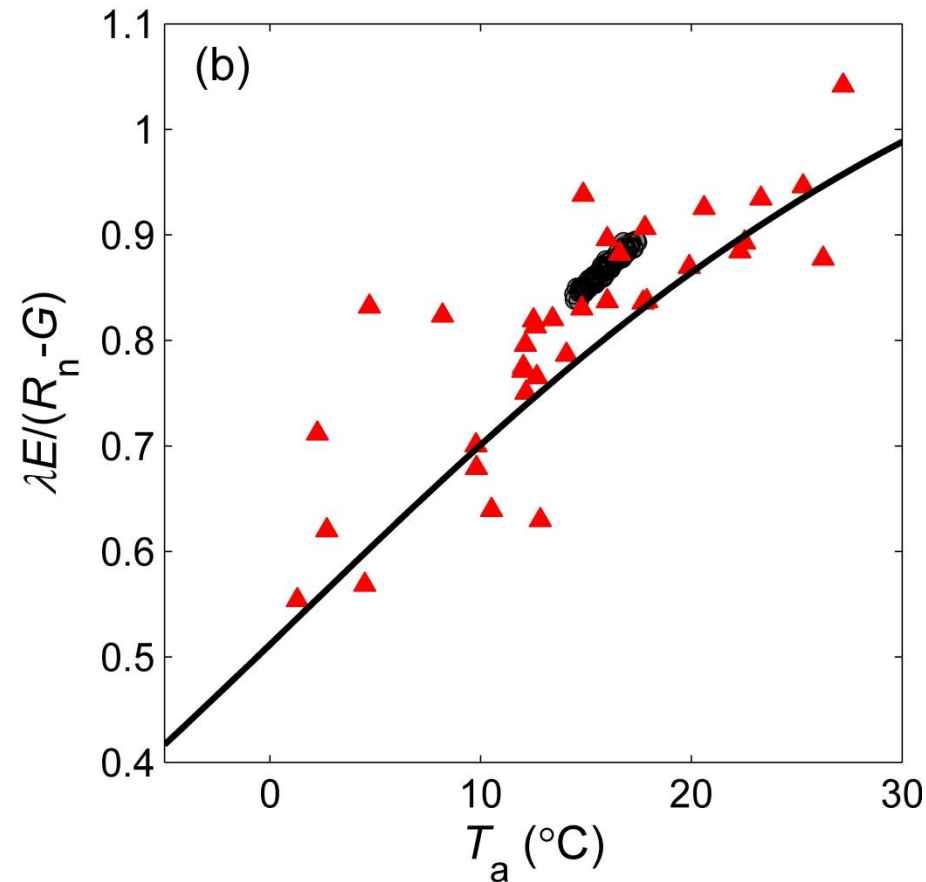
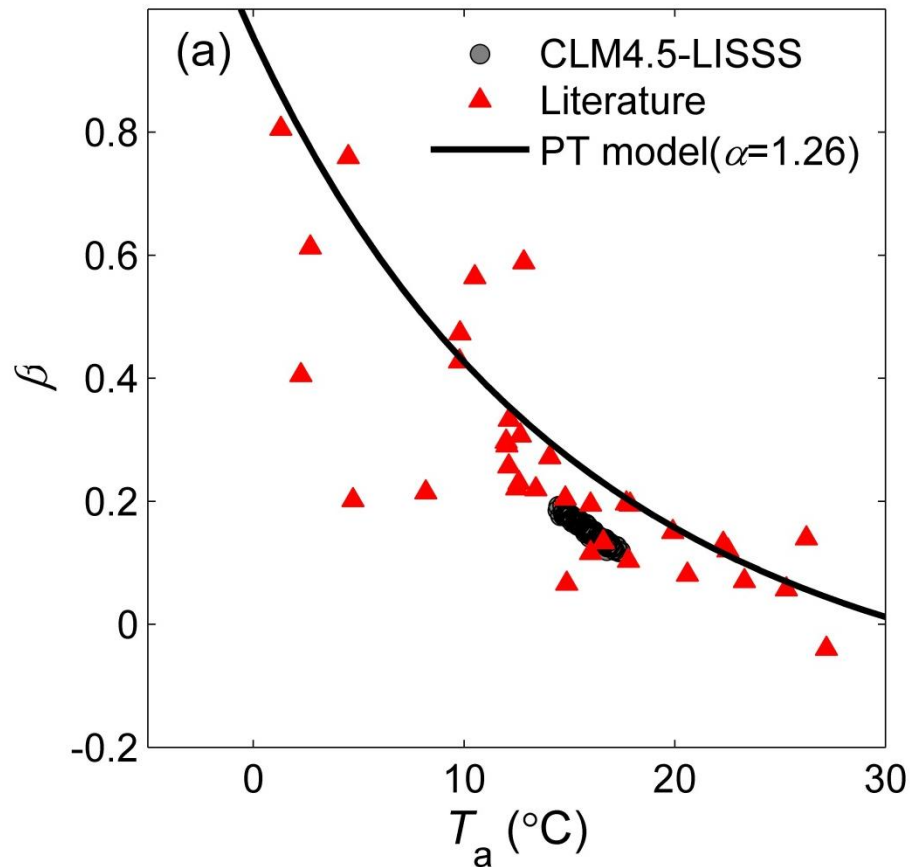


# $\beta$ (EF) varying with air temperature every lake 2005-2100 mean



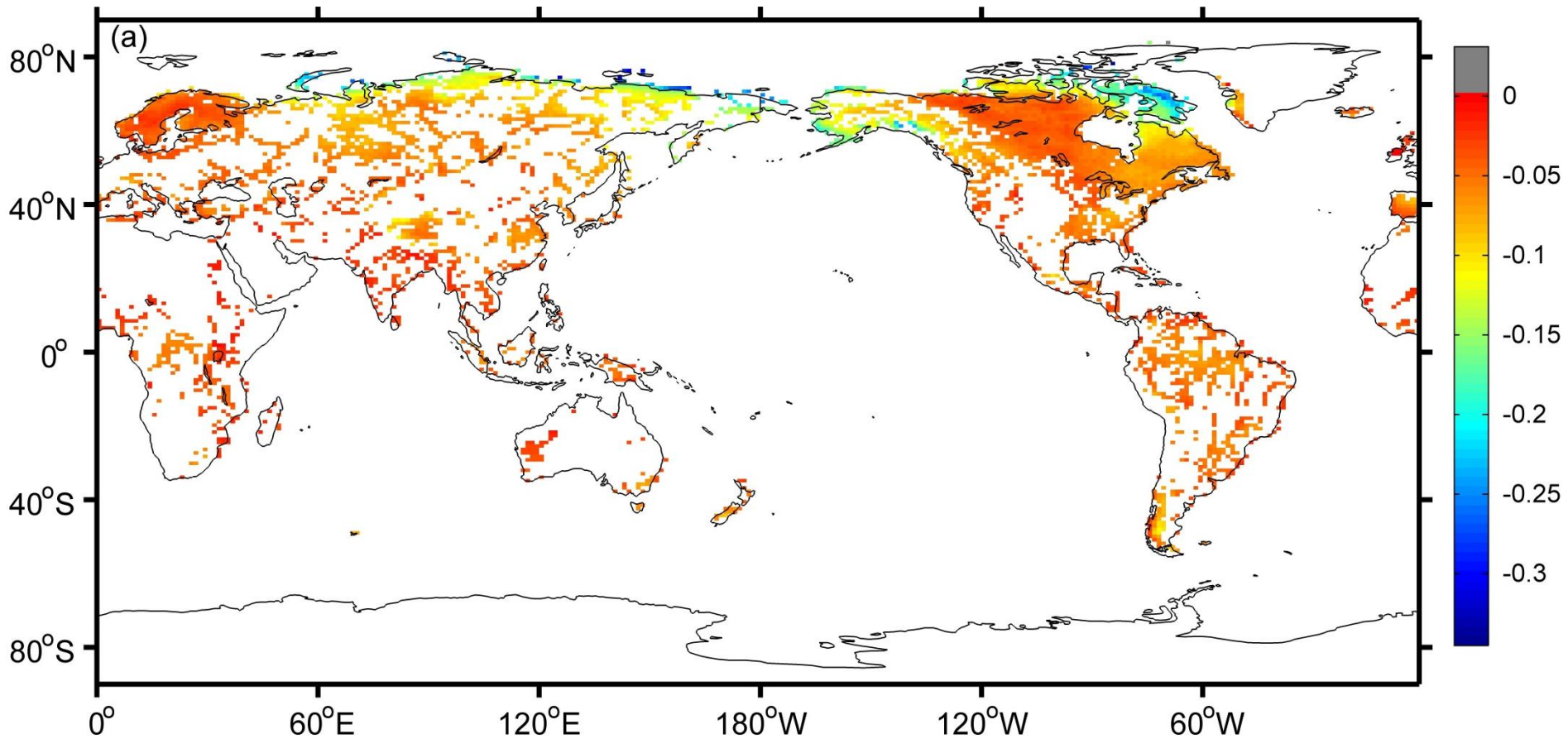
# $\beta$ (EF) varying with air temperature

## 2005-2100 global lake mean



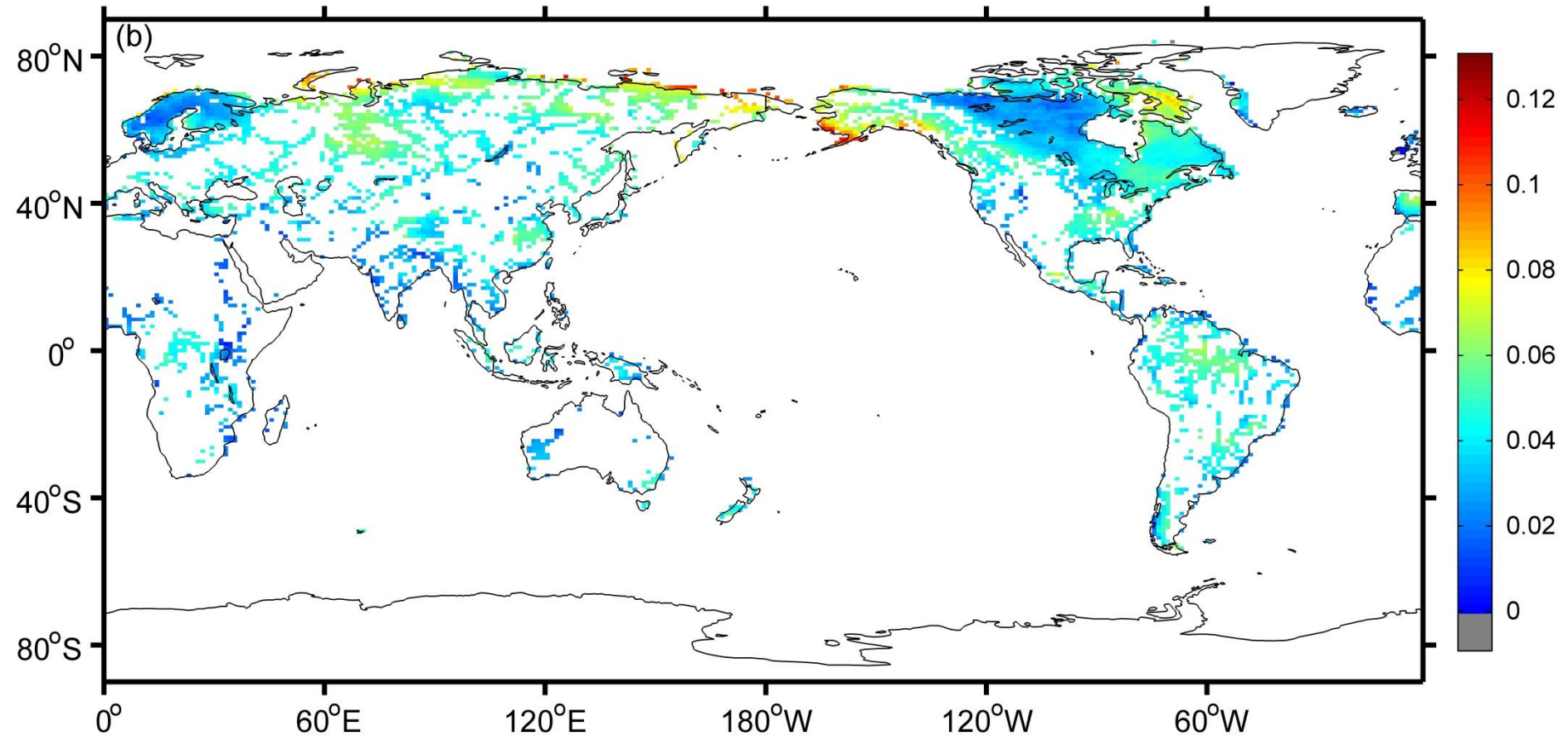
$\beta$  difference

2091-2100 mean minus 2006-2015 mean



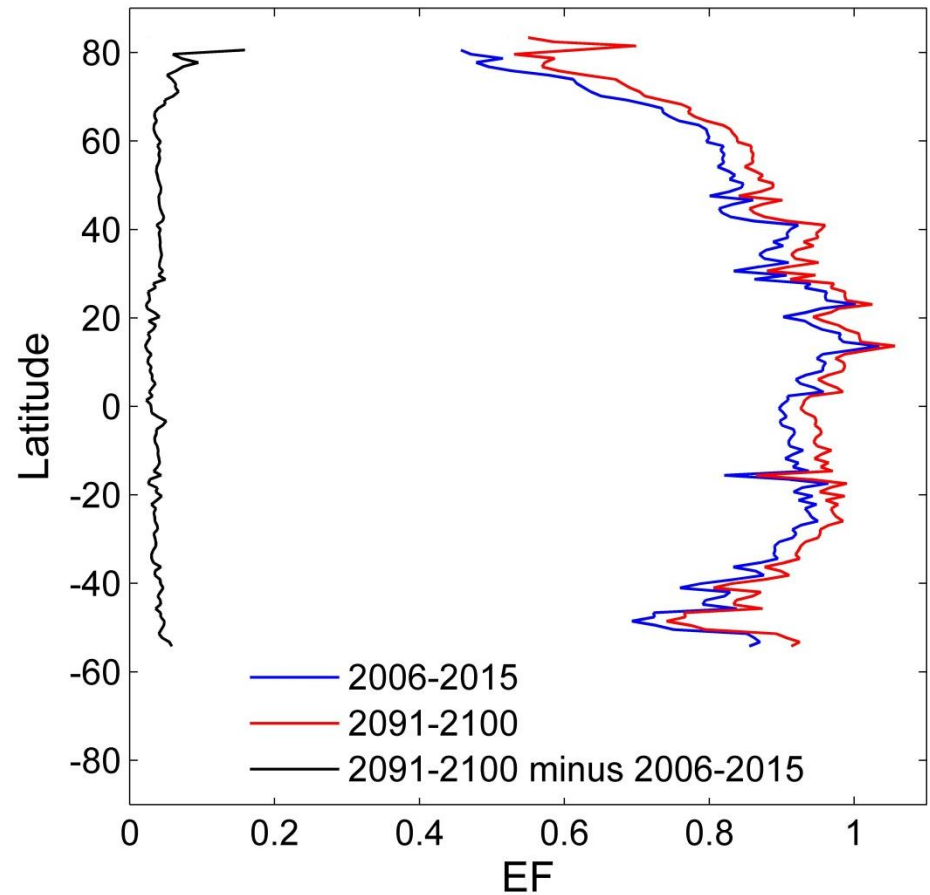
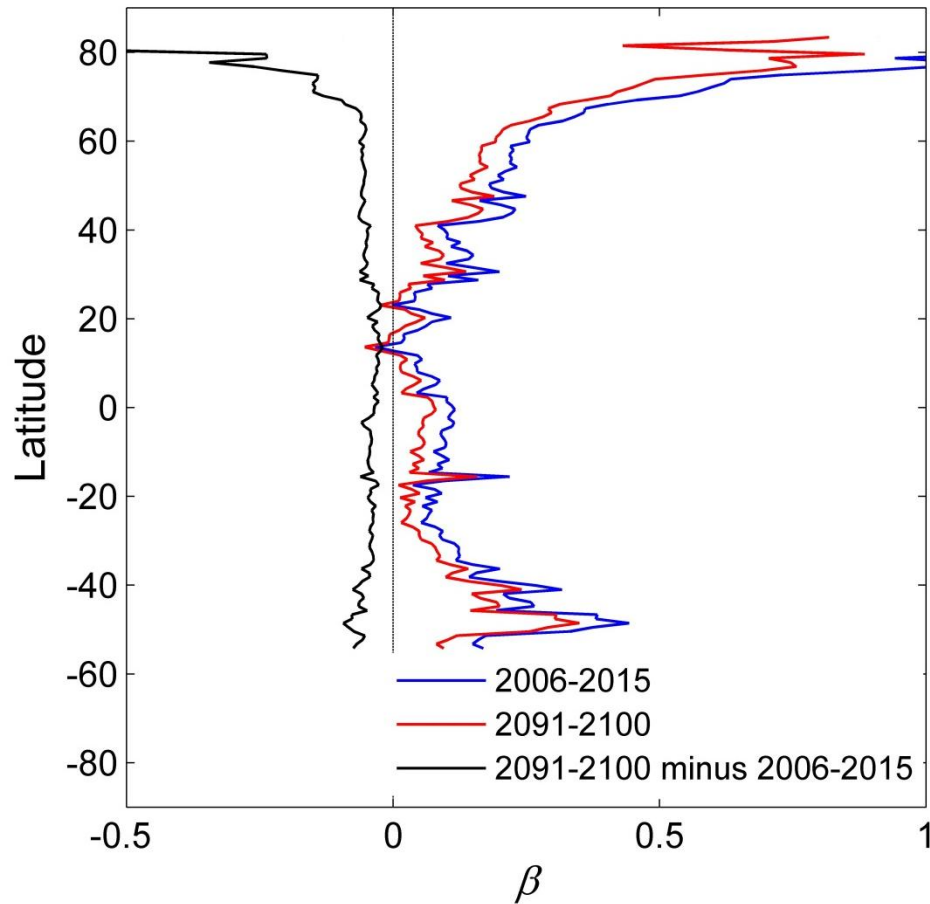
# EF difference

2091-2100 mean minus 2006-2015 mean

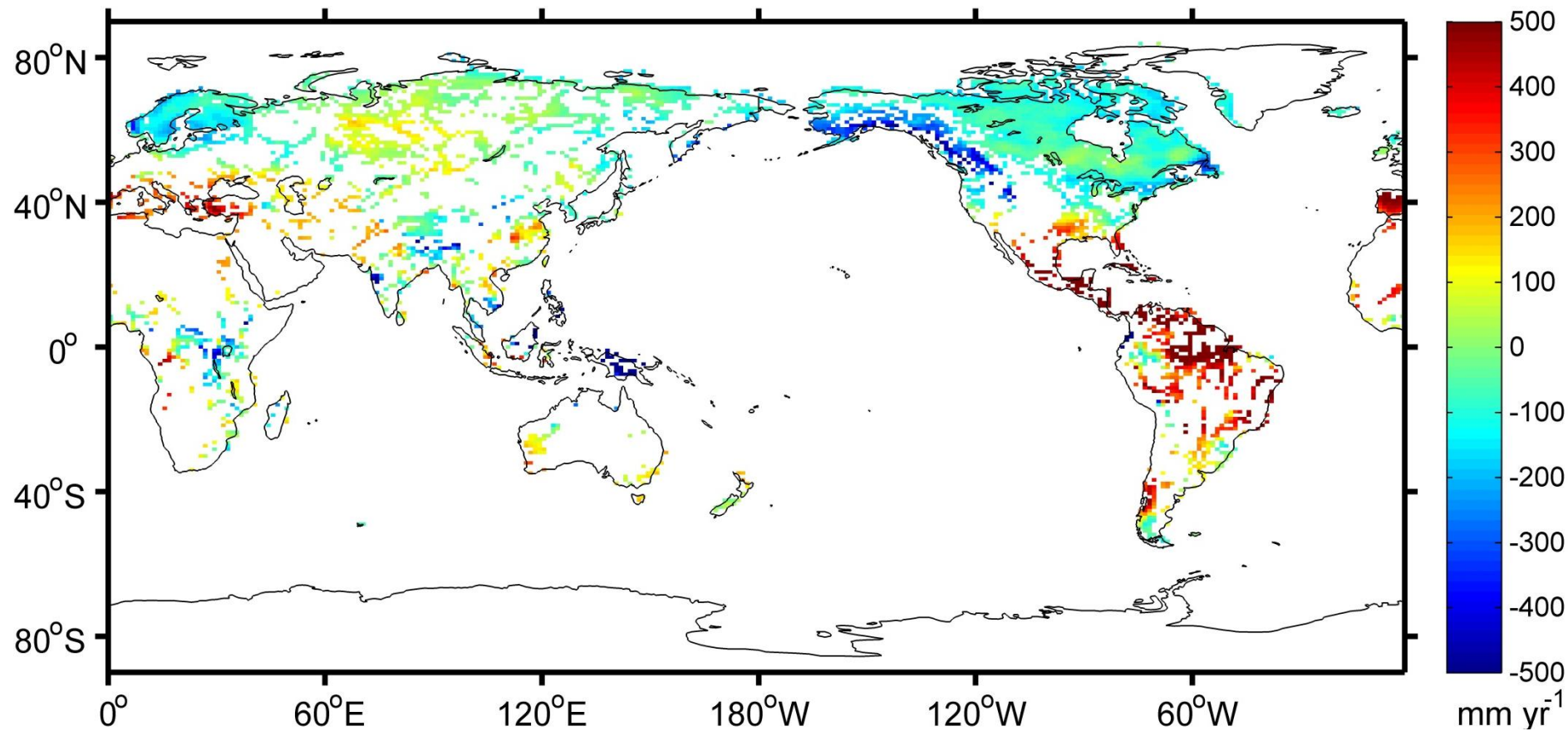




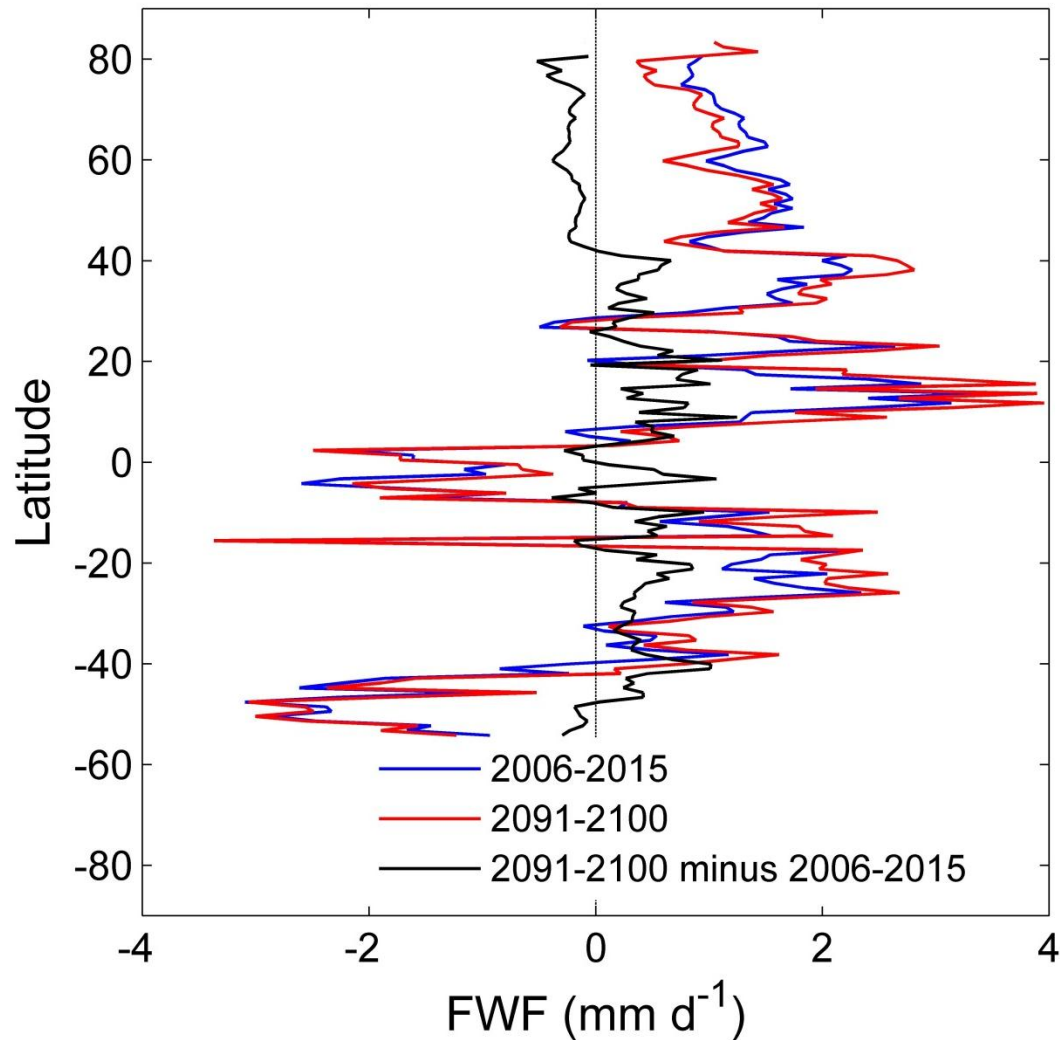
# Zonal mean of $\beta$ (EF)



# Freshwater flux (Evaporation minus Precipitation) difference 2091-2100 mean minus 2006-2015 mean

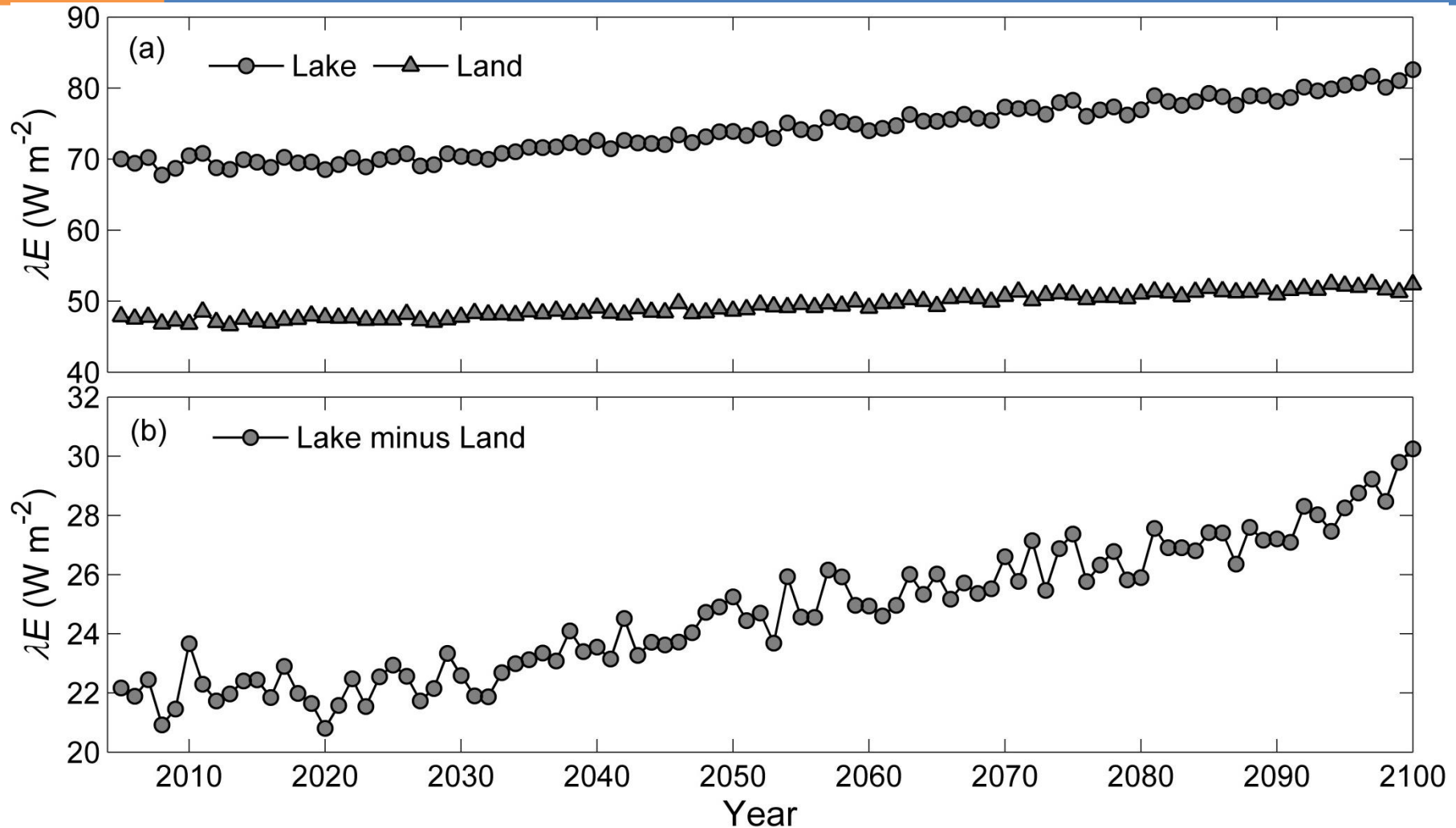


# Zonal mean of FWF

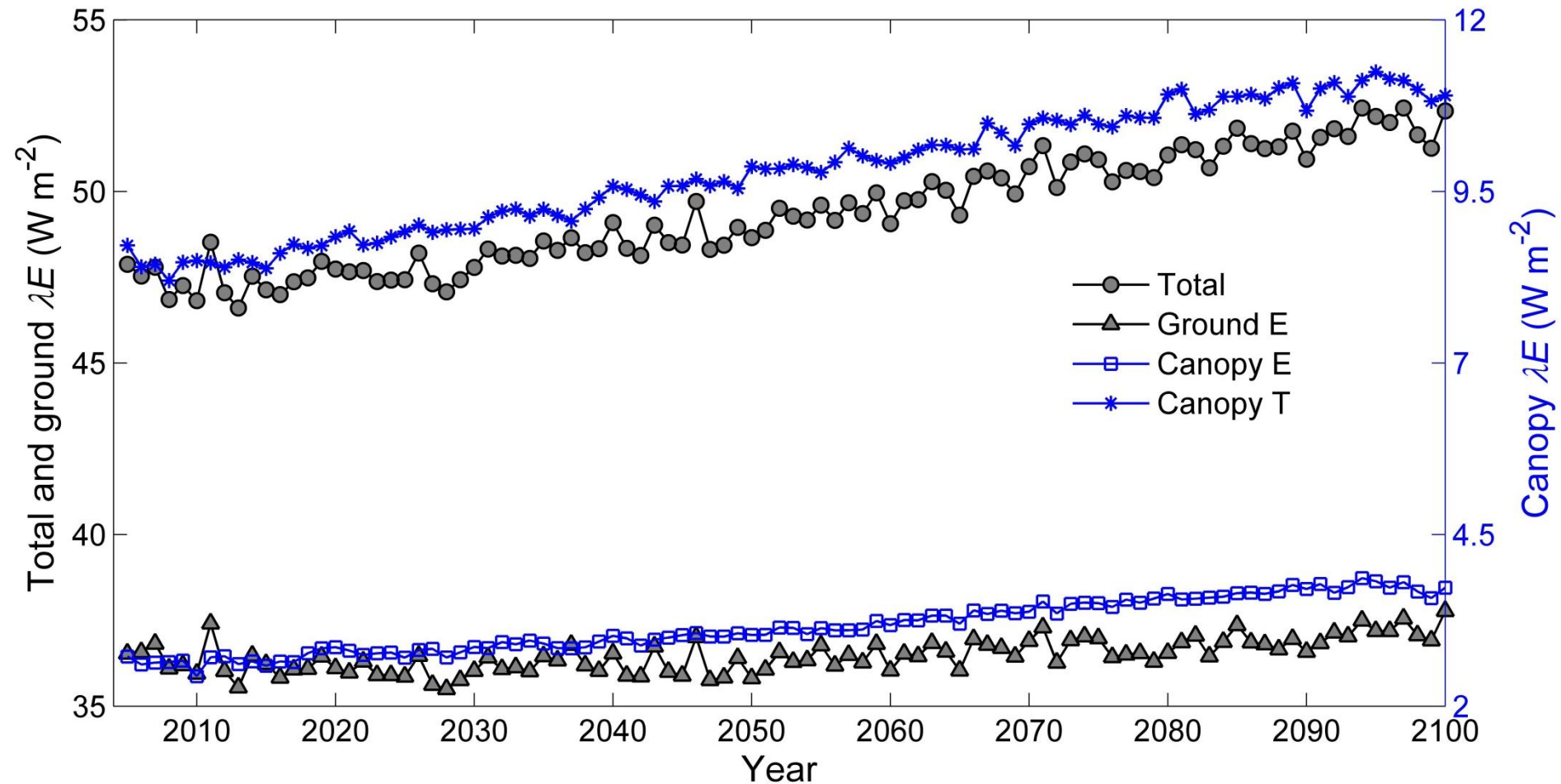




# Evaporation comparison between lake and surrounding land



# Partitioning of latent heat flux over land



# Next steps

- Intensive validation of CLM4.5-LISSS simulations against in-situ observations.

## **Geophysical Research Letters**

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**RESEARCH LETTER**

10.1002/2015GL066235

**Rapid and highly variable warming of lake surface waters around the globe**

- Application of the PT model according to the heat flux regimes with corrected PT coefficient.

**On the variability of the Priestley-Taylor coefficient over water bodies**

Boundary-Layer Meteorol  
DOI 10.1007/s10546-015-0031-

**NOTES AND COMMENT**

Shmuel Assouline,<sup>1</sup> Dan Li,<sup>2</sup> Scott Tyler,<sup>3</sup> Josef Tanny,<sup>1</sup> Shabtai Cohen,<sup>1</sup> Elie

Bou-Zeid,<sup>4</sup> Marc Parlange,<sup>5</sup> and Gabriel G. Katul<sup>6</sup>

**On the Application of the Priestley–Taylor Relation on Sub-daily Time Scales**

Xiaofeng Guo<sup>1</sup> · Heping Liu<sup>2</sup> · Kun Yang<sup>3,4</sup>